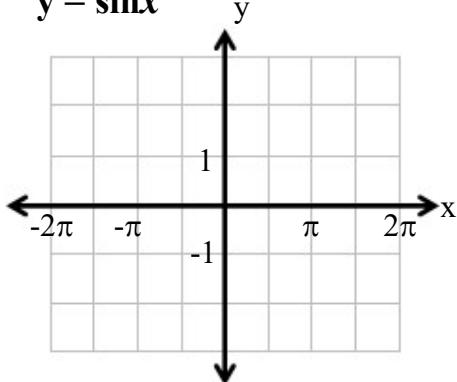
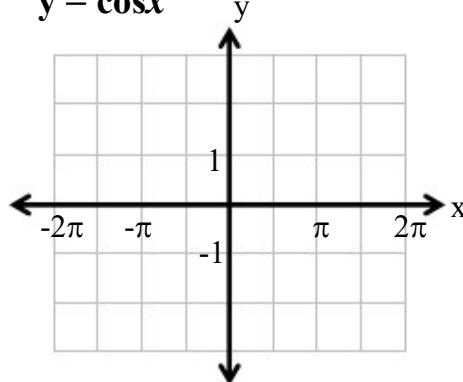


SKETCH A GRAPH FOR THE SIX TRIG FUNCTIONS USING 5 “KEY” VALUES FOR EACH PERIOD.

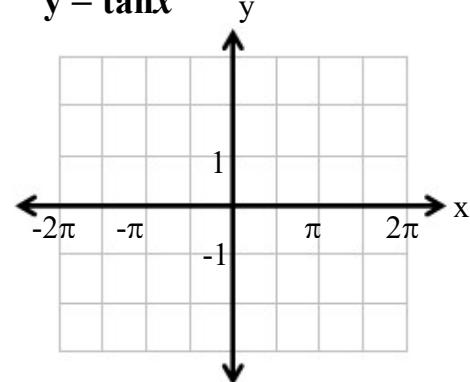
$y = \sin x$



$y = \cos x$



$y = \tan x$



Domain:

Range:

Period:

x-intercepts:

Domain:

Range:

Period:

x-intercepts:

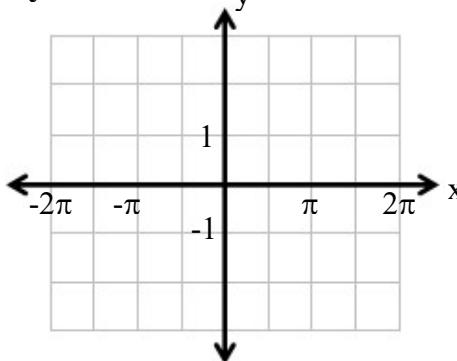
Domain:

Range:

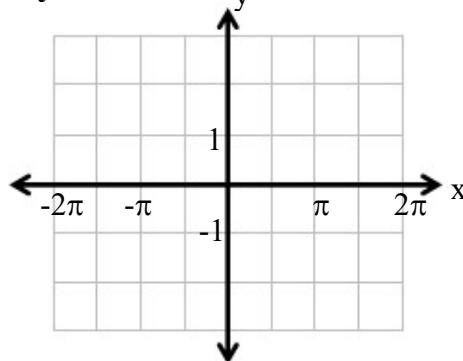
Period:

Asymptotes:

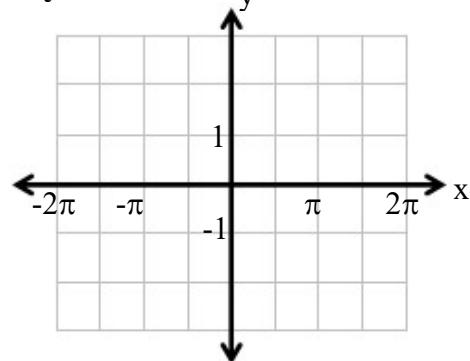
$y = \csc x$



$y = \sec x$



$y = \cot x$



Domain:

Range:

Period:

x-intercepts:

Domain:

Range:

Period:

x-intercepts:

Domain:

Range:

Period:

Asymptotes:

NOTE: When applying a horizontal (phase) shift, the key points and asymptotes will move left or right.  
The asymptotes will also get closer together or further apart as the period changes.

## Notes 5-4: Graphing tan/cot and sec/csc

Tangent (parent) graph: \_\_\_\_\_, passes through origin.

Cotangent (parent graph): \_\_\_\_\_, asymptote at origin.

The reciprocal of zero is an \_\_\_\_\_ value.

The reciprocal of an undefined value is \_\_\_\_\_.

A \_\_\_\_\_ will move key points and the asymptotes left/right.  
Asymptotes get closer together or further apart as the \_\_\_\_\_ changes.

A \_\_\_\_\_ value will reflect (flip) the graph across the x-axis.

**factored/graphing form:**

$$y = \tan k(x - b) + h$$

$$y = \cot k(x - b) + h$$

period = \_\_\_\_\_,  $k > 0$

$b$  = horizontal shift

$h$  = vertical shift

amplitude = \_\_\_\_\_

*(key points just stretch  
or get compacted by A)*

**factored/graphing form:**

$$y = \sec k(x - b) + h$$

$$y = \csc k(x - b) + h$$

period = \_\_\_\_\_,  $k > 0$

$b$  = horizontal shift

$h$  = vertical shift

amplitude = \_\_\_\_\_

*(key points just stretch  
or get compacted by A)*

**Example:**

$$y = \sec(2x + \pi) - 1$$

